



In parallelogram ABCD triangle AQX and triangle BQC are similar.

Similar triangles have the squares of their corresponding sides proportional to their respective areas. The ratio of areas in this problem is 36,307 to 77,554, or 1:2.136062, the square roots of each being 1 and 1.461527.

Let  $AX=n$  and  $AQ=m$

$BC$  is then  $1.461527 \cdot n$  and  $QC$  is  $1.461527 \cdot m$

The area of  $AQX = \frac{1}{2} \cdot n \cdot m \cdot \sin(\text{angle } QAX) = 36,307$

$$n \cdot m \cdot \sin(\text{angle } QAX) = 72,614$$

Area  $ACD = \frac{1}{2} \cdot (m+1.461527m) \cdot (1.461527 \cdot n) \cdot \sin(\text{angle } QAX)$

$$= (0.5)(2.461527)(1.461527) \cdot m \cdot n \cdot \sin(\text{angle } QAX)$$

$$= 1.798794 \cdot n \cdot m \cdot \sin(\text{angle } QAX)$$

$$= (1.798794)(72,614) = 130,617.63$$

Area  $QCDX = \text{area } ACD - 36,307 = 94,310.63$