



The total area must be calculated first. This is an ideal candidate for area by coordinates if you assign point A North 0.00, East 0.00, making point D North 0.00, East 5,800.20; point B North 3011.741, East 1519.086 and point C North 3748.981, East 4750.442:

$$\begin{array}{cccccc} 0 & 3011.741 & 3748.981 & 0 & 0 \\ \cdot & \cdot & \cdot & \cdot & \cdot \\ 0 & 1519.086 & 4750.442 & 5800.20 & 0 \end{array}$$

Twice the area equals:

$$(3011.741)(4750.442) + (3748.981)(5800.20) - (1519.086)(3748.981) = 30,356,915.98$$

So, a third of the total area is 5,059,486.0 sq. ft. (Using only two decimal places for the coordinates yields 5 sq. ft. less.)

Construct a perpendicular from point E to side A-D at h and calculate the sides and area of the triangle formed: A-E=1686.58, E-h=1505.871 and A-h=759.543 with an area of 571,886.5 sq. ft. Also construct a perpendicular from F to side A-D at j; F-D=1946.59, F-j = 1874.491, and j-D=524.876 with an area of 491,937.7 sq. ft. The area of E-P-G-h is then to be 4,487,599.5 sq. ft. and that of P-F-j-G to be 4,567,548.3 sq. ft.

Let P-G be q, h-G be m, and G-j be n

$$\frac{q+1,505.870}{2} \cdot m = 4,487,599.5 \dots [1] \text{ and } \frac{q+1,874.491}{2} \cdot n = 4,567,548.3 \dots [2]$$

A-D = 5,800.20 + 759.543 + m + n + 524.876, so $m = 4,515.782 - n \dots [3]$, substituting [3] into [1] eliminating the fraction in [2]:

$$(q + 1,505.87)(4,515.872 - n) = 8,975,201.0 \text{ and } (q + 1,874.491) \cdot n = 9,135,096.6$$

Expanding and adding these equations yields $n = 30,682.315 - 12.2505 \cdot q$, which is then substituted back into equation [2], expanded, and rearranged:

$$q(30,682.315 - 12.2505 \cdot q) + 1,874.49(30,682.315 - 12.2505 \cdot q) = 9,135,096.6$$

Which reduces to $q^2 - 630.0865q - 3,949.111.96$

so $q = \frac{630.086 \pm \sqrt{630.086^2 + 4 \cdot 3949111.96}}{2}$ yielding $q = 2,327.10$, which is then substituted back into the same equation to get

$n = 2,174.20$, and then m is found by equation [3] to be 2,341.58